

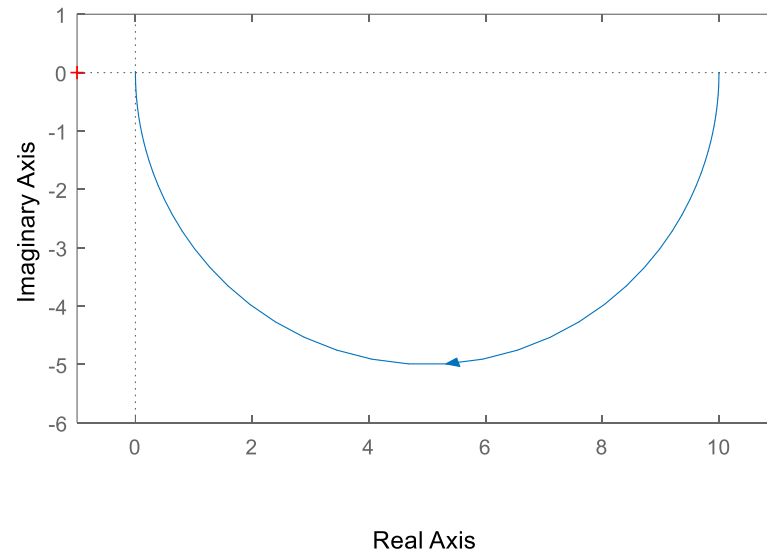
1.

10

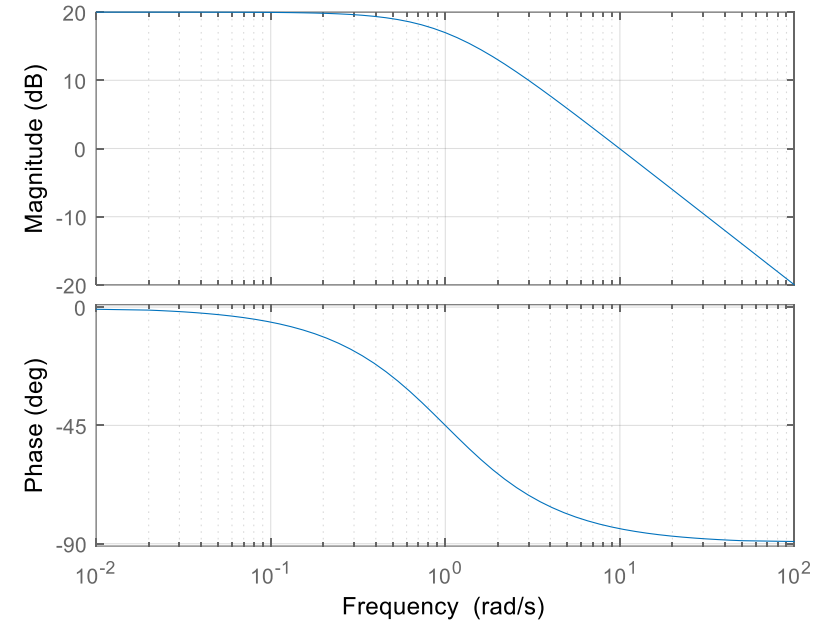
(1+s)

P

Nyquist Diagram



Bode Diagram



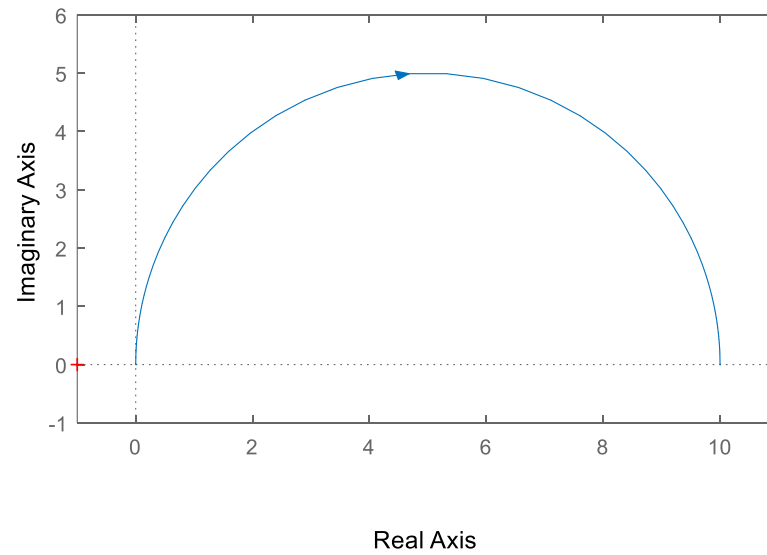
2.

10 s

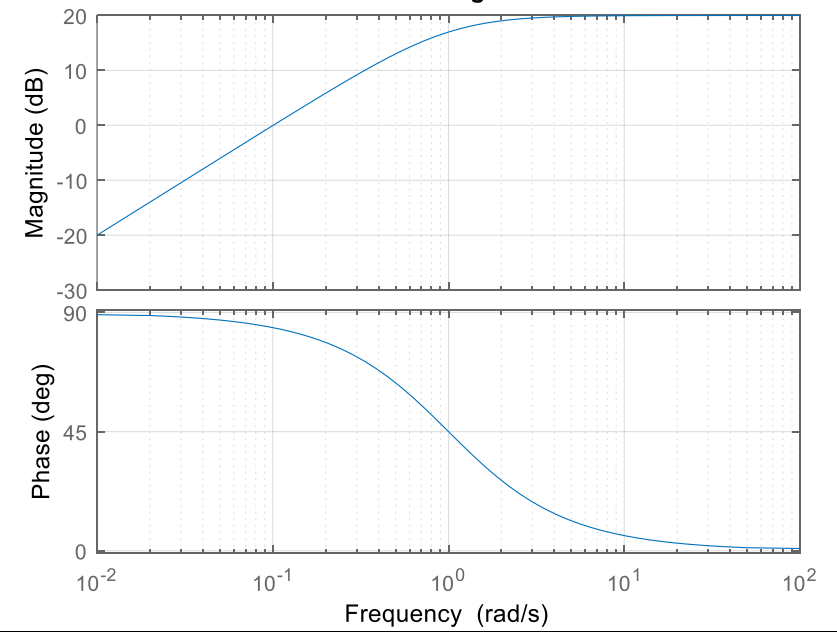
(1+s)

\bar{Z} P

Nyquist Diagram



Bode Diagram

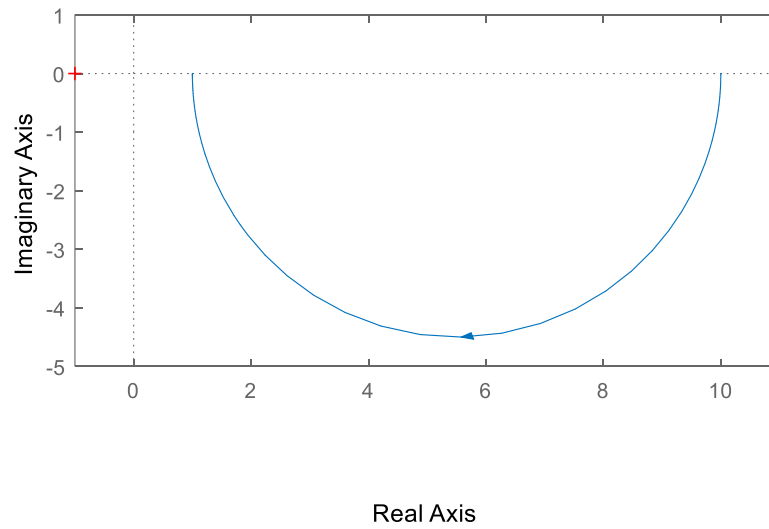


3.

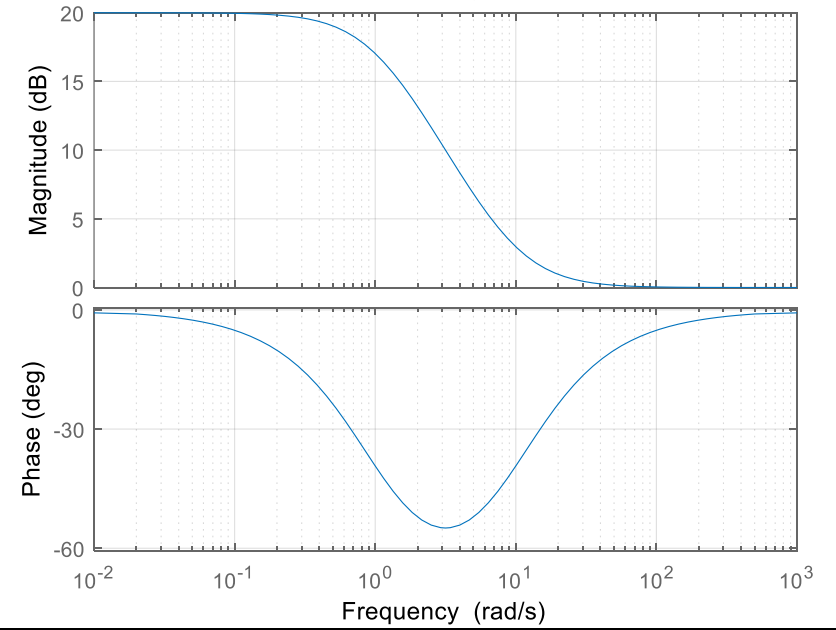
$$\frac{10(1+s/10)}{(1+s)}$$

P Z

Nyquist Diagram



Bode Diagram

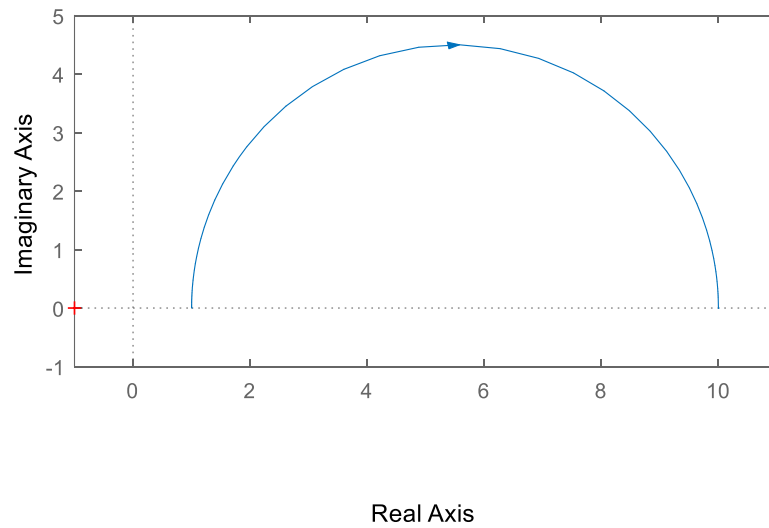


4.

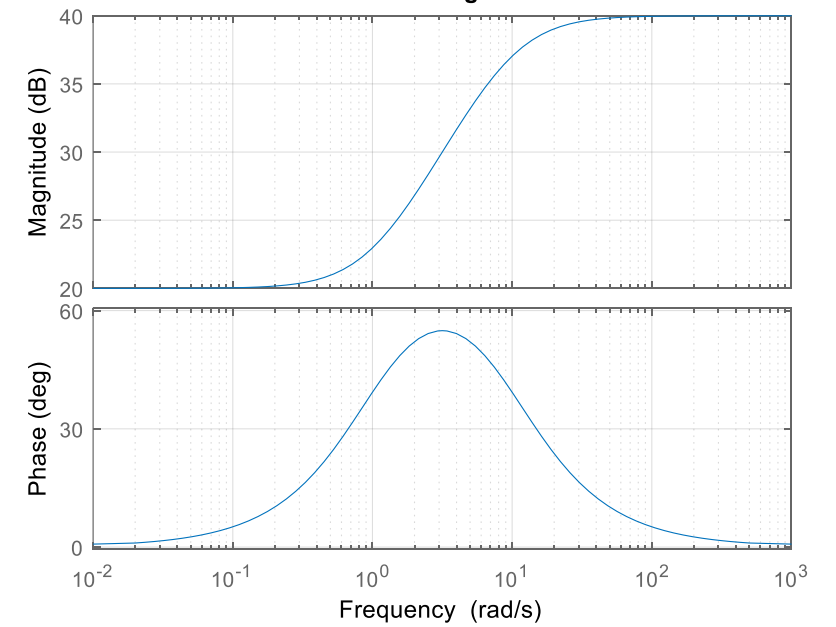
$$\frac{(1+s)}{(1+s/10)}$$

Z P

Nyquist Diagram



Bode Diagram

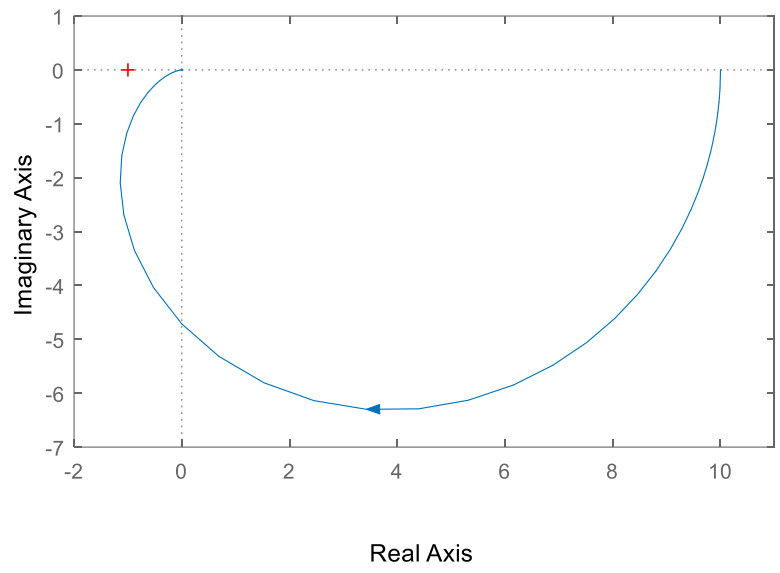


5.

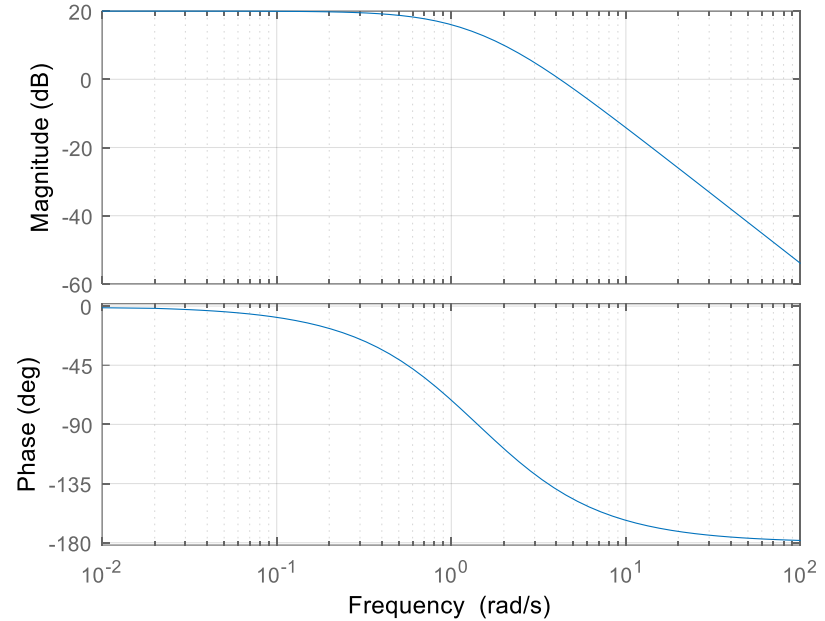
$\frac{10}{(1+s)(1+s/2)}$

P P

Nyquist Diagram



Bode Diagram

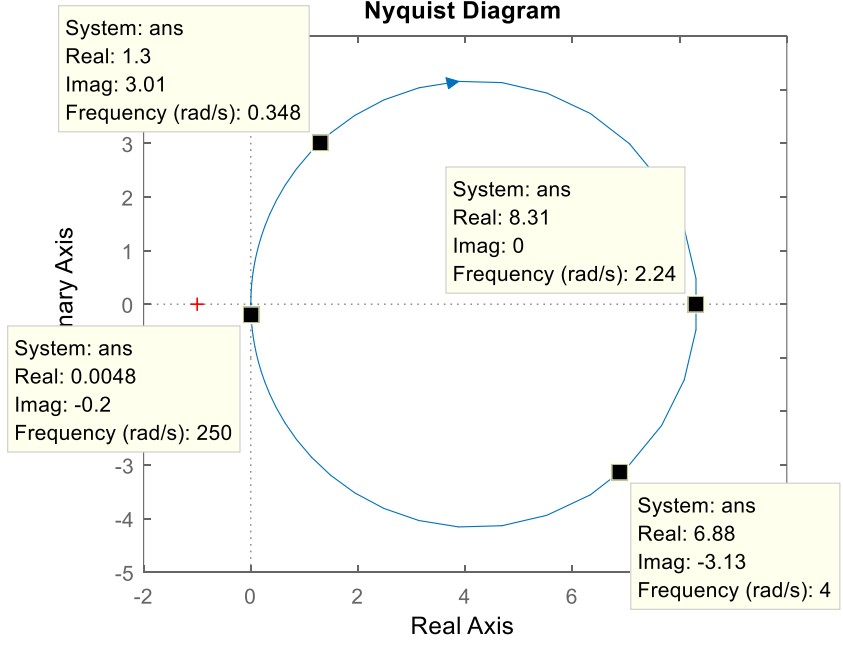


6.

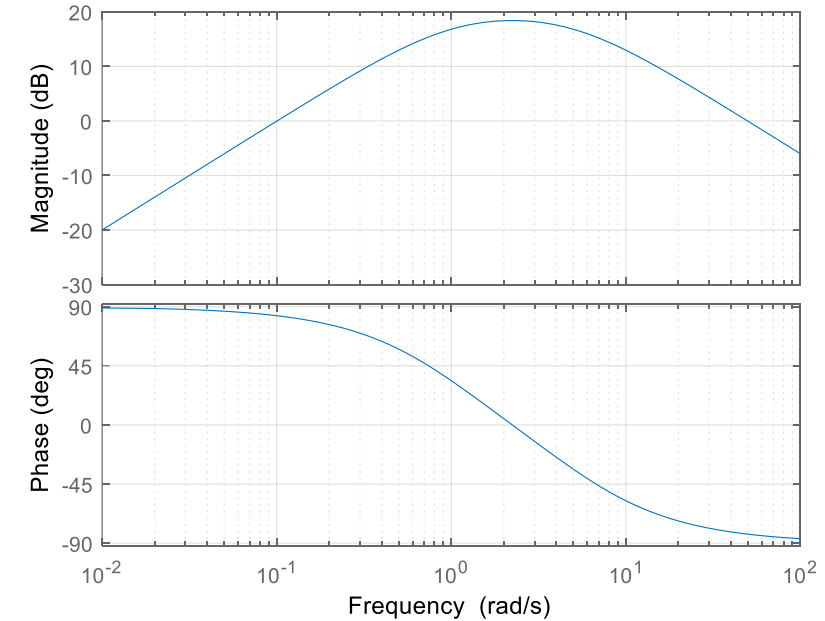
$\frac{10s}{(1+s)(1+s/5)}$

\bar{Z} P P

Nyquist Diagram



Bode Diagram

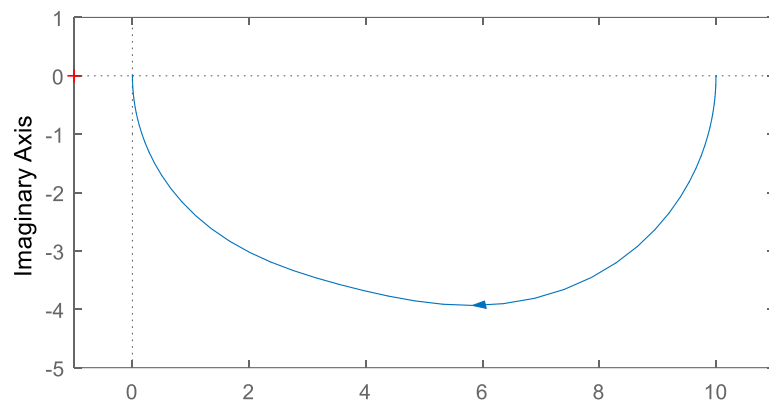


7.

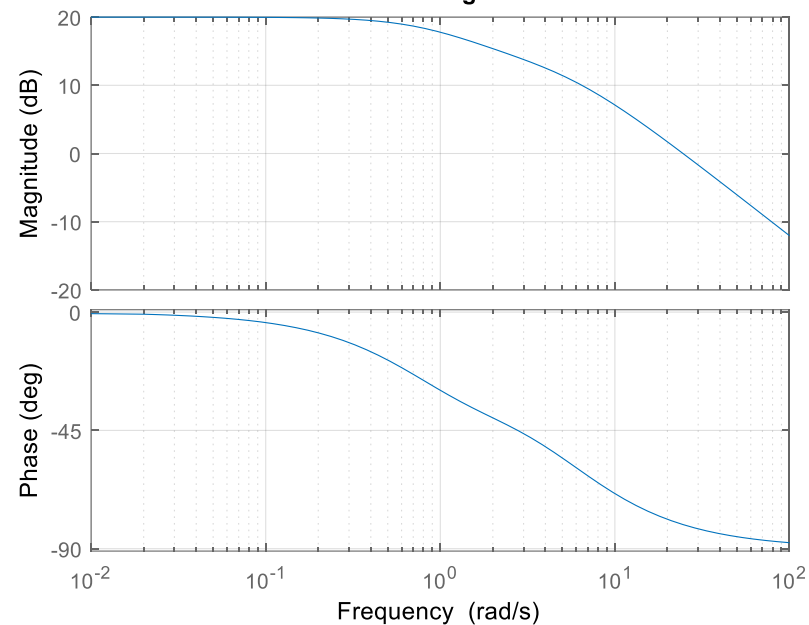
$$\frac{10(1+s/2)}{(1+s)(1+s/5)}$$

P Z P

Nyquist Diagram



Bode Diagram

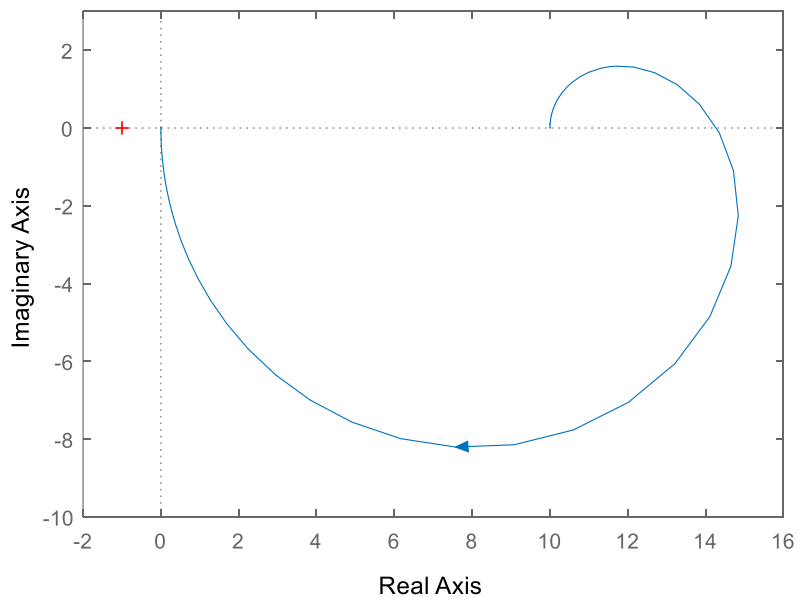


8.

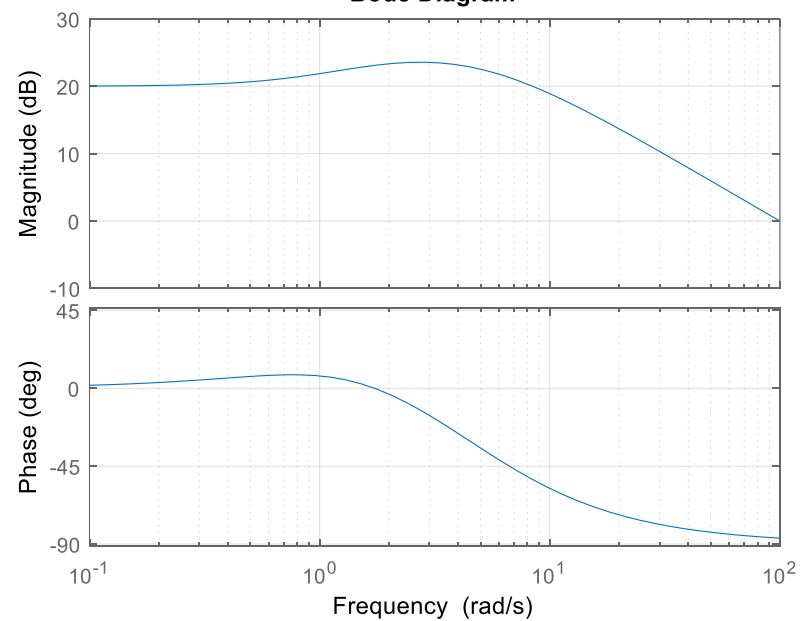
$$\frac{10(1+s)}{(1+s/2)(1+s/5)}$$

Z P P

Nyquist Diagram



Bode Diagram

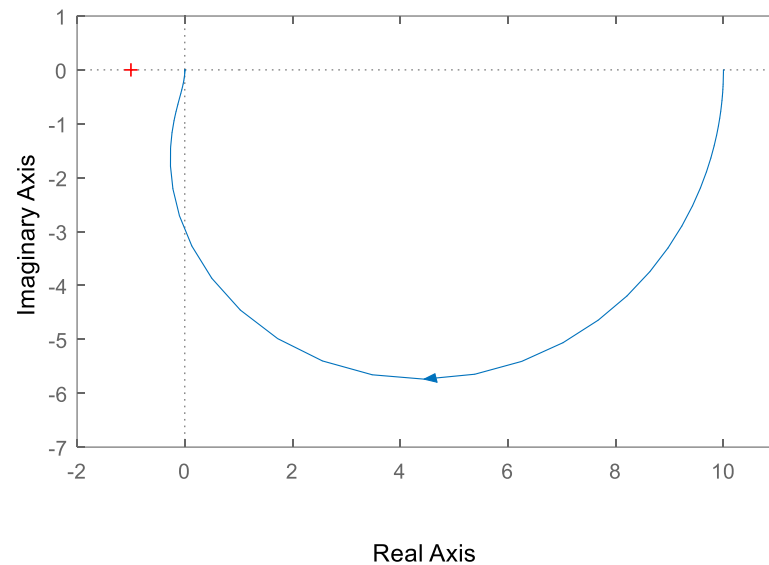


9.

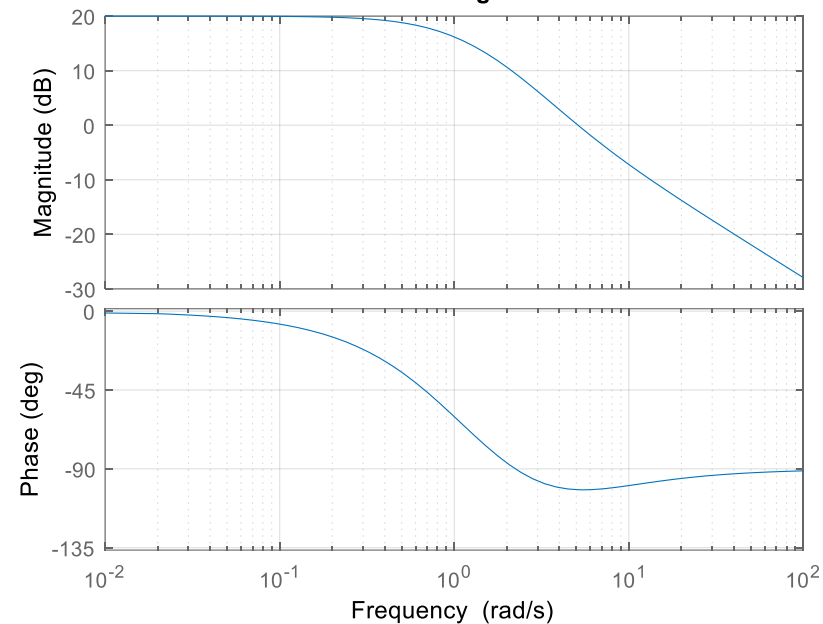
$$\frac{10(1+s/5)}{(1+s)(1+s/2)}$$

P P Z

Nyquist Diagram



Bode Diagram

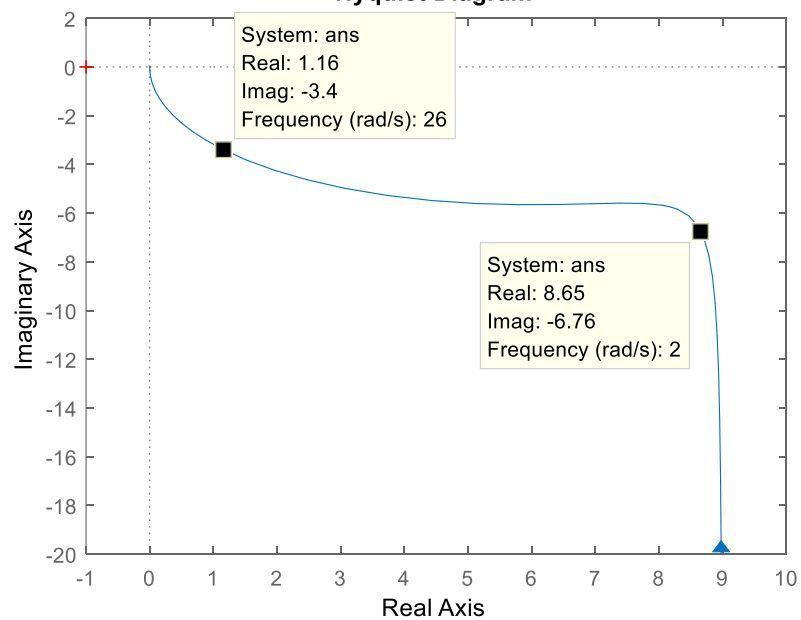


10.

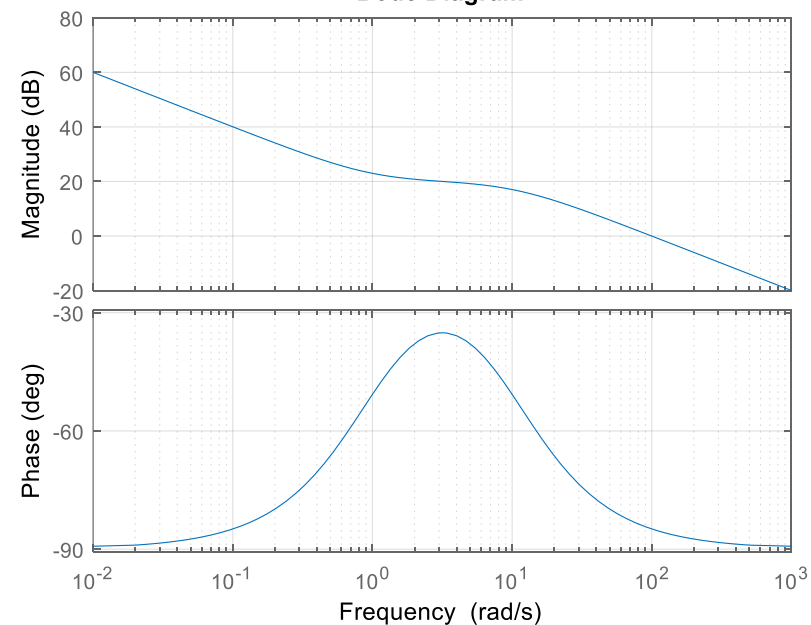
$$\frac{10(1+s)}{s(1+s/10)}$$

\bar{P} Z P

Nyquist Diagram



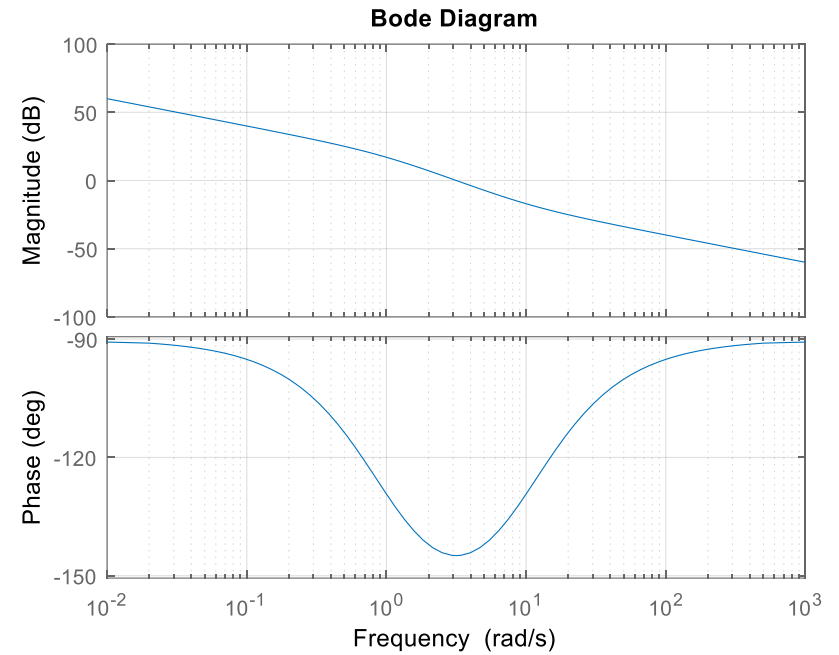
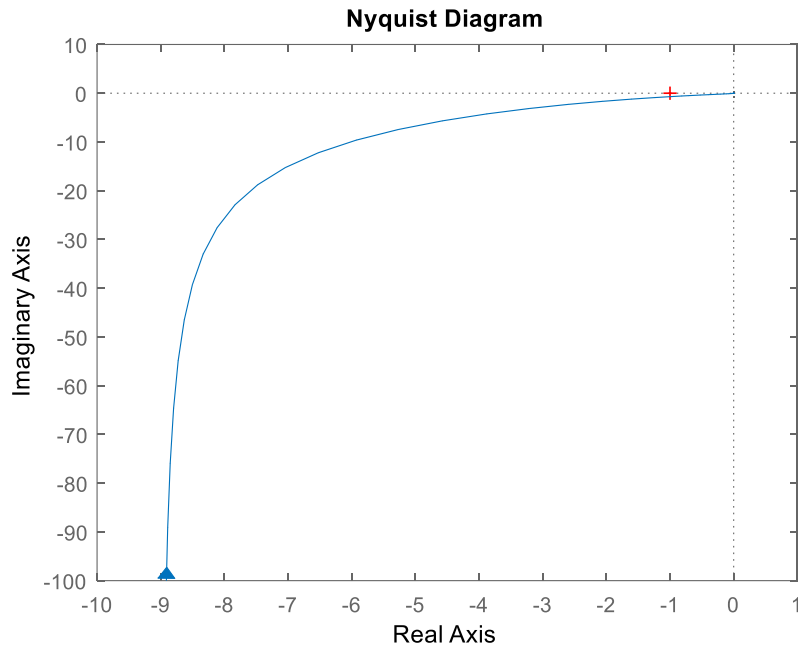
Bode Diagram



11.

$$\frac{10(1+s/10)}{s(1+s)}$$

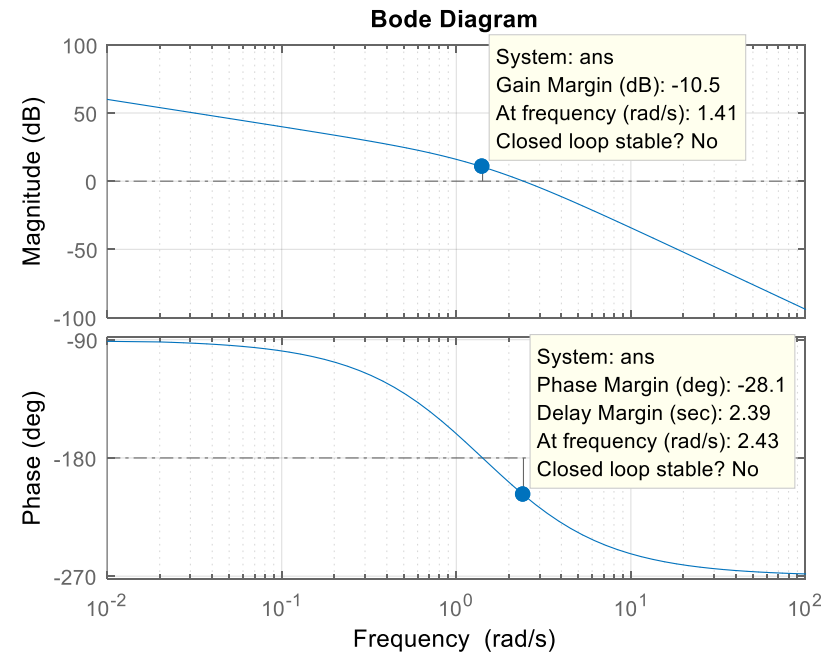
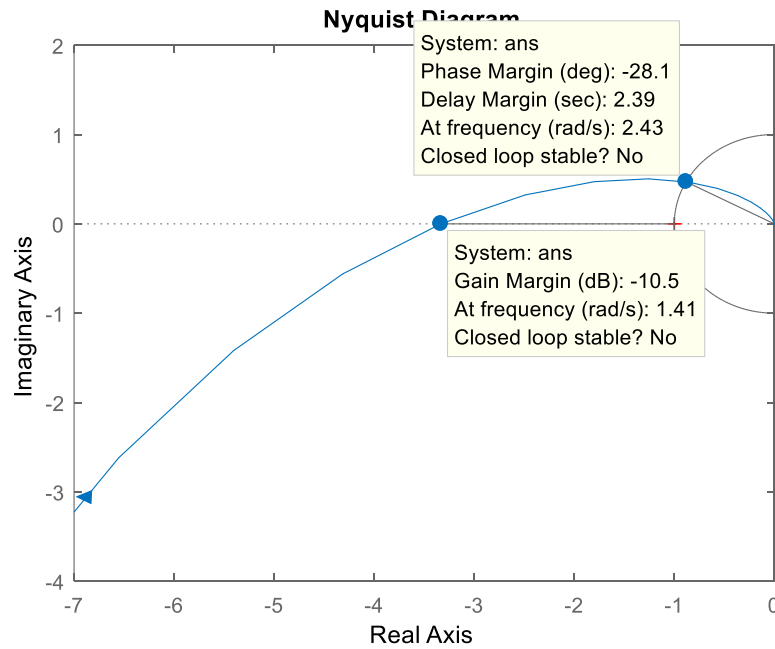
$\bar{P} P Z$



12.

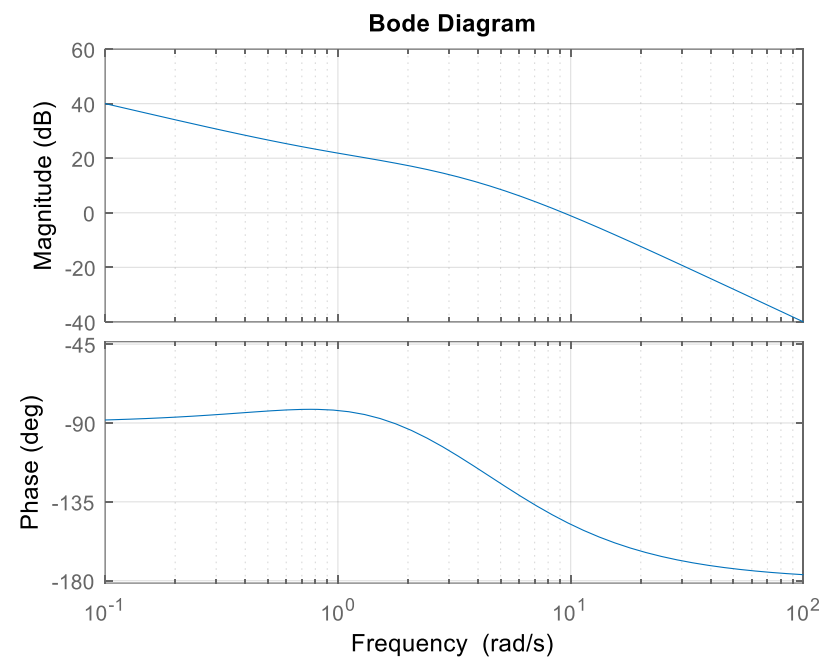
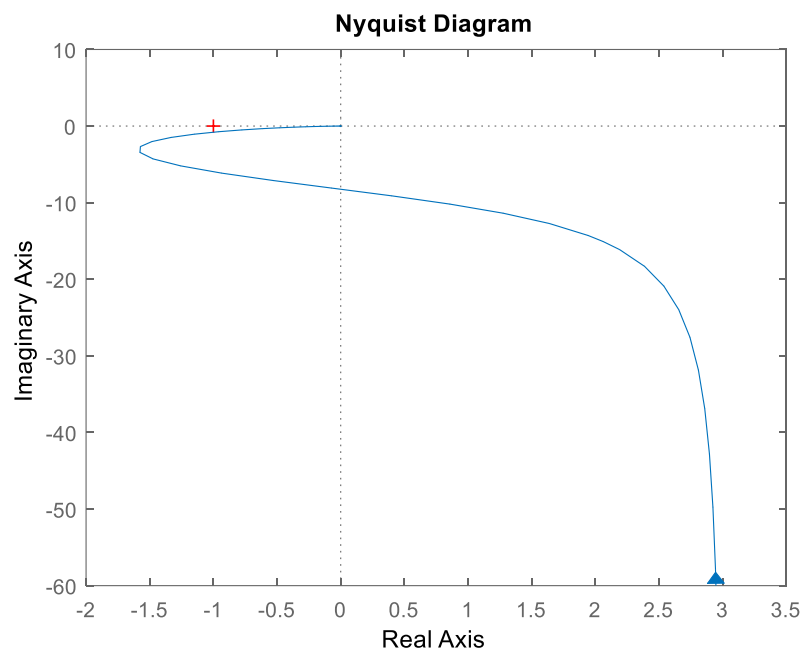
$$\frac{10}{s(1+s)(1+s/2)}$$

$\bar{P} P P$



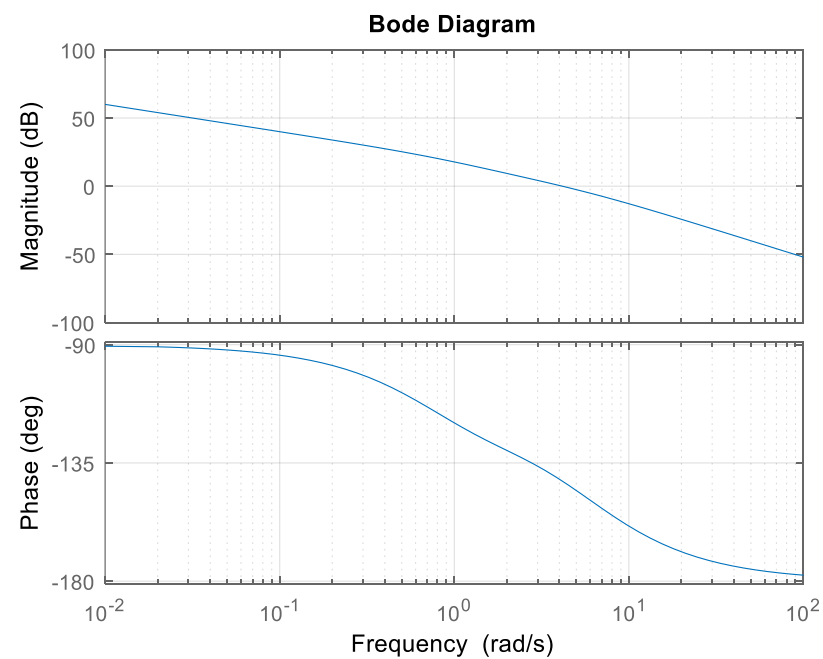
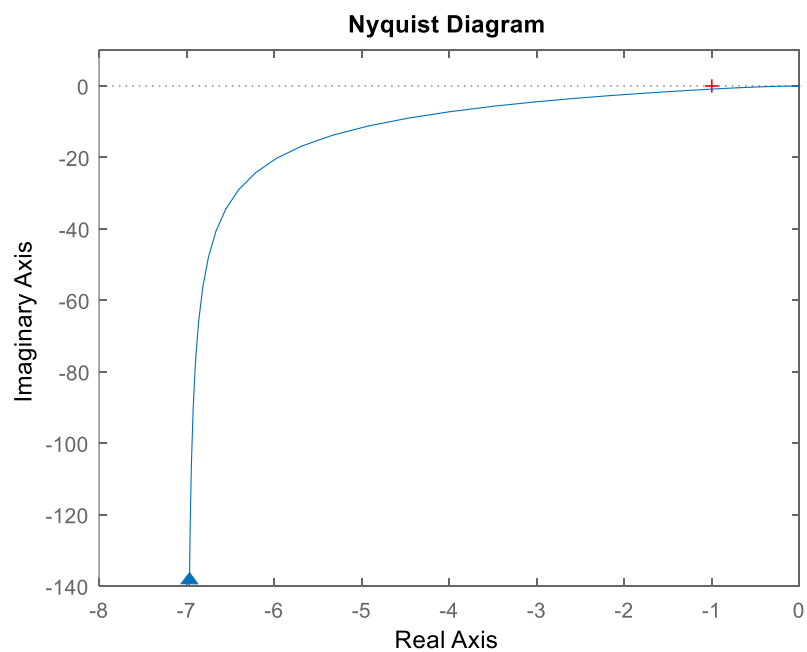
13.

$$\frac{10(1+s)}{s(1+s/2)(1+s/5)}$$

 $\bar{P} Z P P$ 

14.

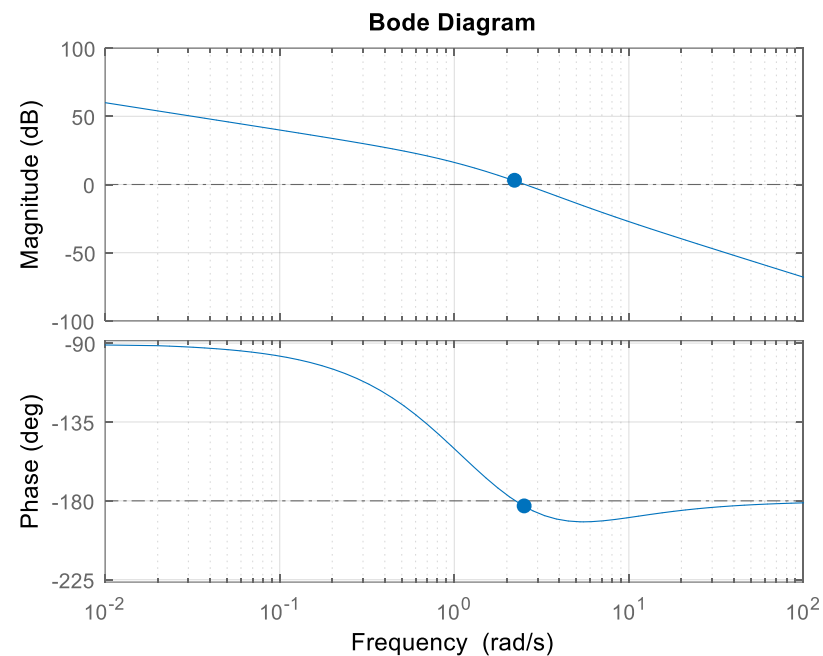
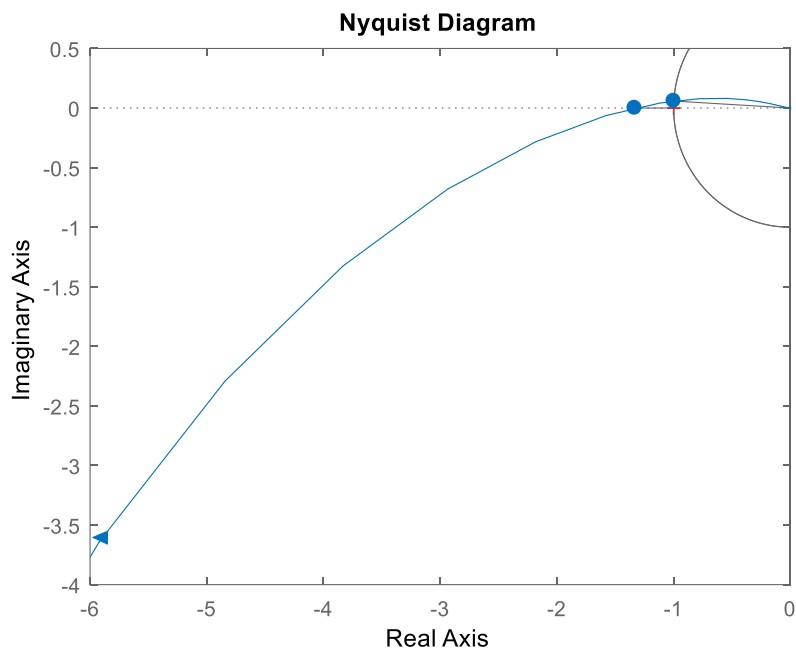
$$\frac{10(1+s/2)}{s(1+s)(1+s/5)}$$

 $\bar{P} P Z P$ 

15.

$$\frac{10(1+s/5)}{s(1+s)(1+s/2)}$$

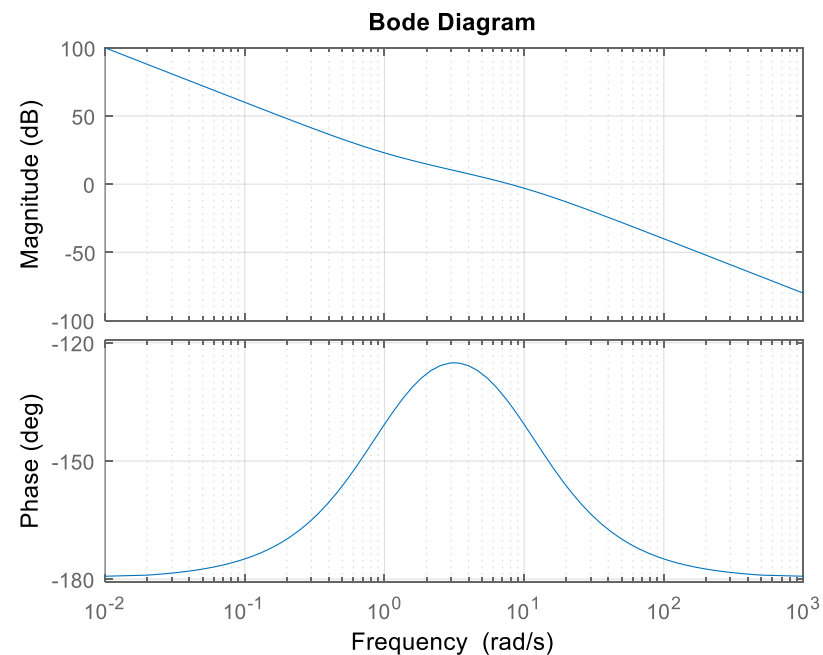
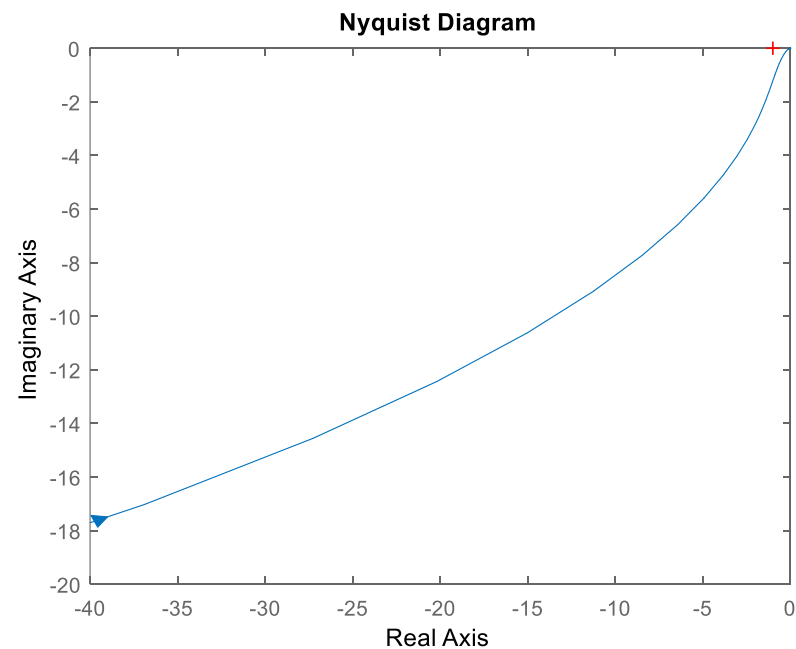
$\bar{P} P P Z$



16.

$$\frac{10(1+s)}{s^2(1+s/10)}$$

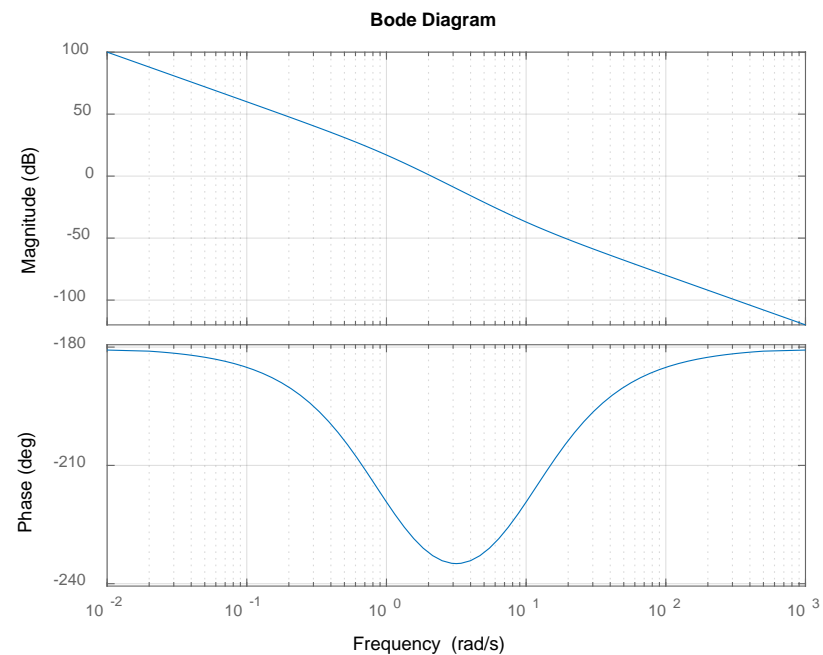
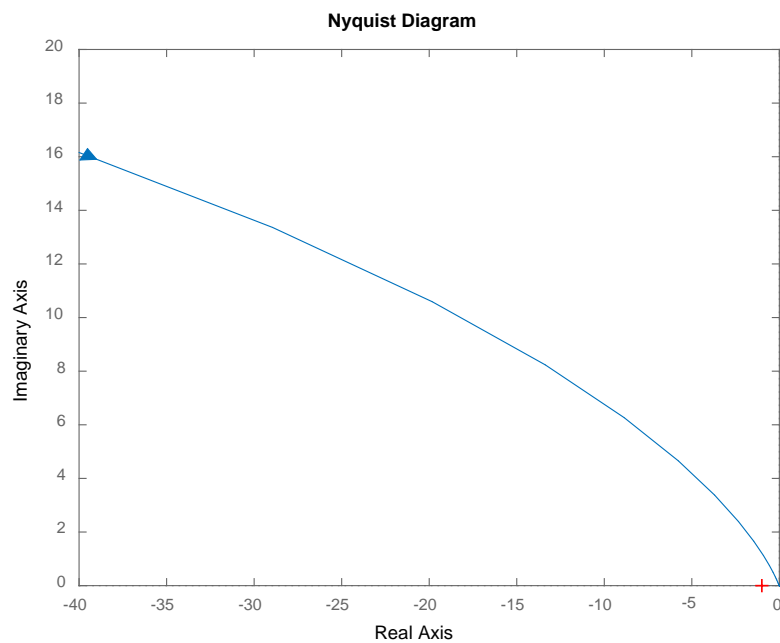
$\bar{P} \bar{P} Z P$



17.

$$\frac{10(1+s/10)}{s^2(1+s)}$$

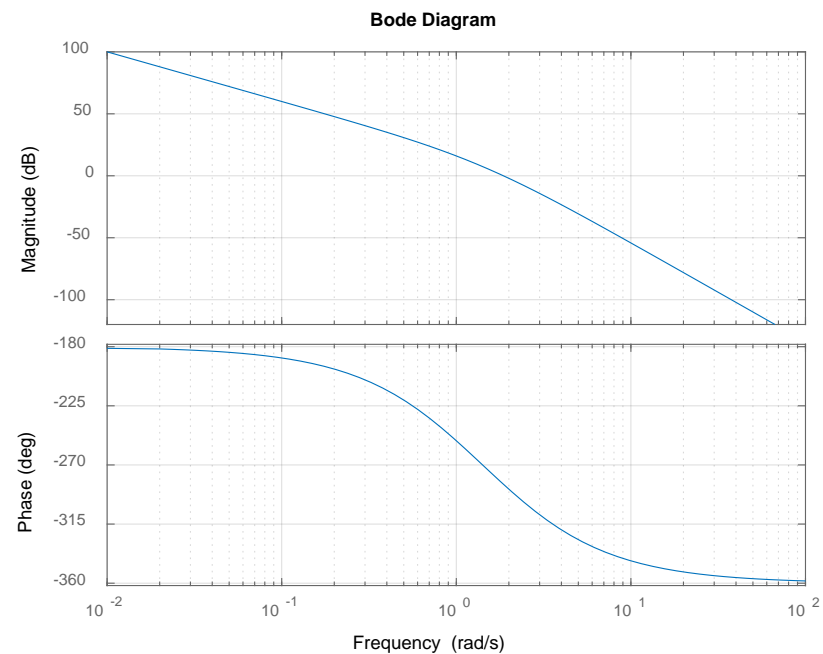
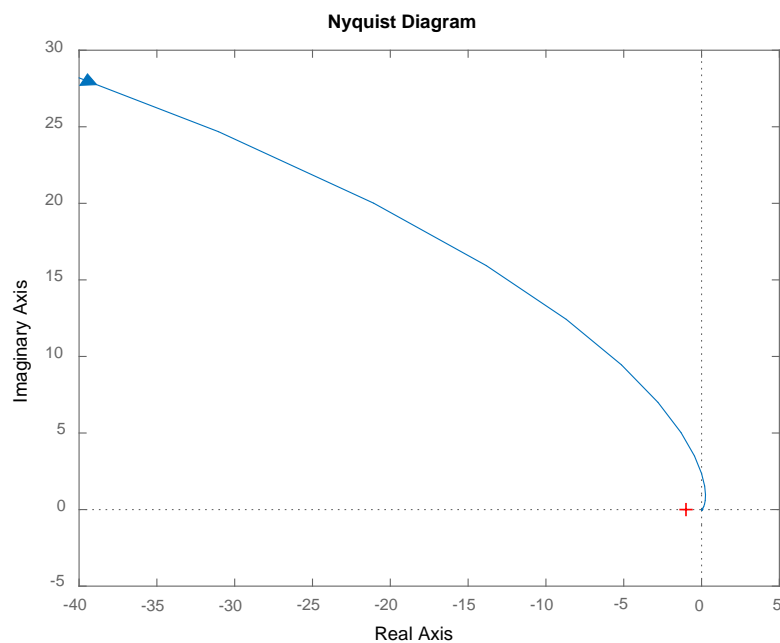
$\bar{P} \bar{P} P Z$



18.

$$\frac{10}{s^2(1+s)(1+s/2)}$$

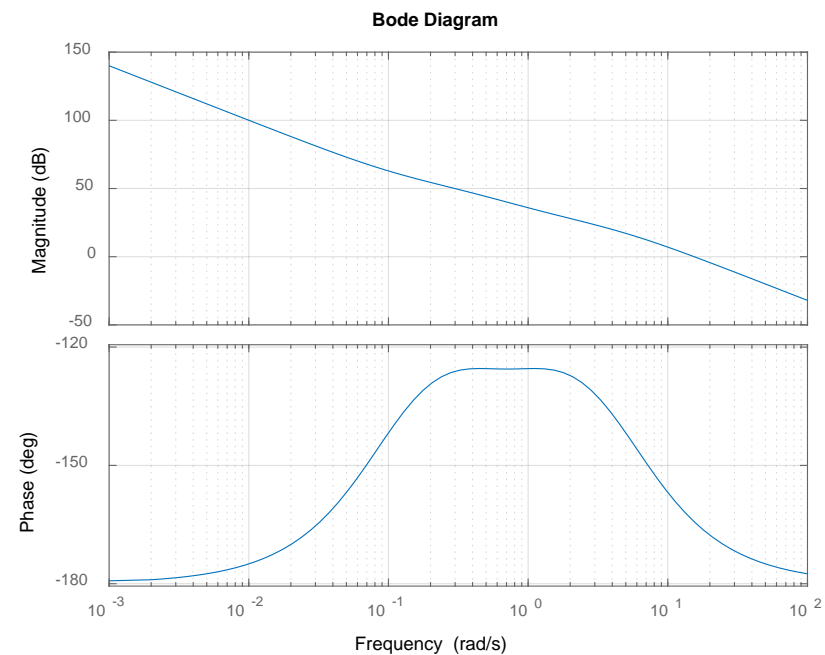
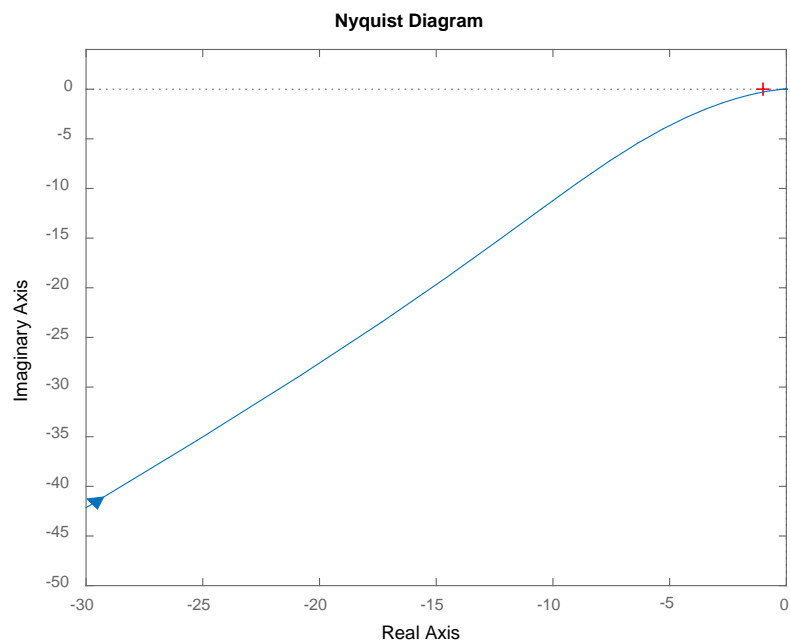
$\bar{P} \bar{P} P P$



19.

$$\frac{10 (1+s/0.1) (1+s)}{s^2 (1+s/0.5) (1+s/5)}$$

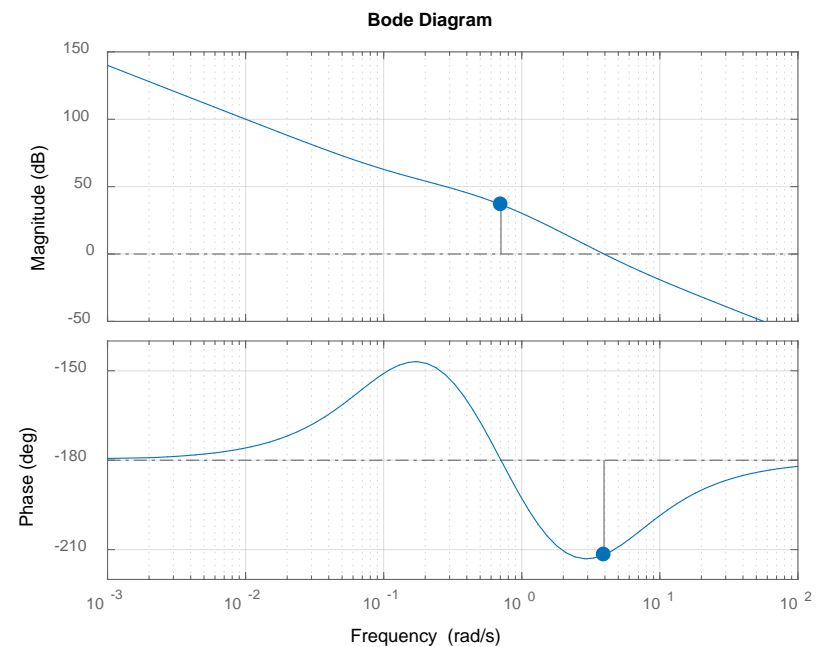
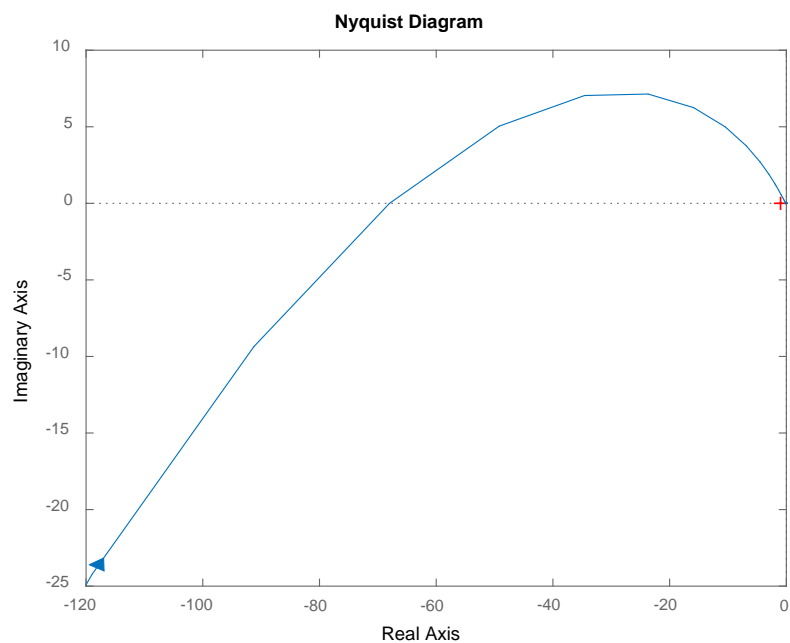
$\bar{P} \bar{P} Z P Z P$



20.

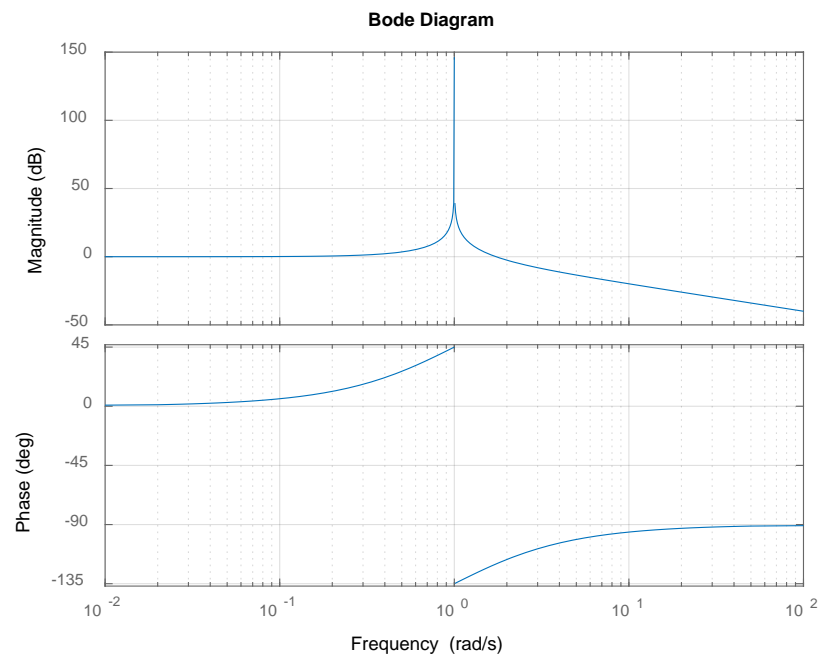
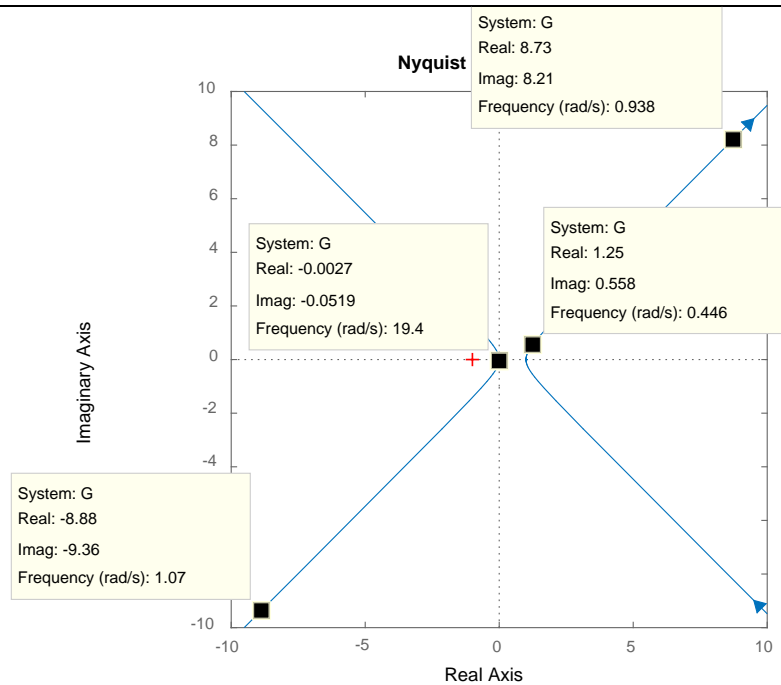
$$\frac{10 (1+s/0.1) (1+s/5)}{s^2 (1+s/0.5) (1+s)}$$

$\bar{P} \bar{P} Z P P Z$



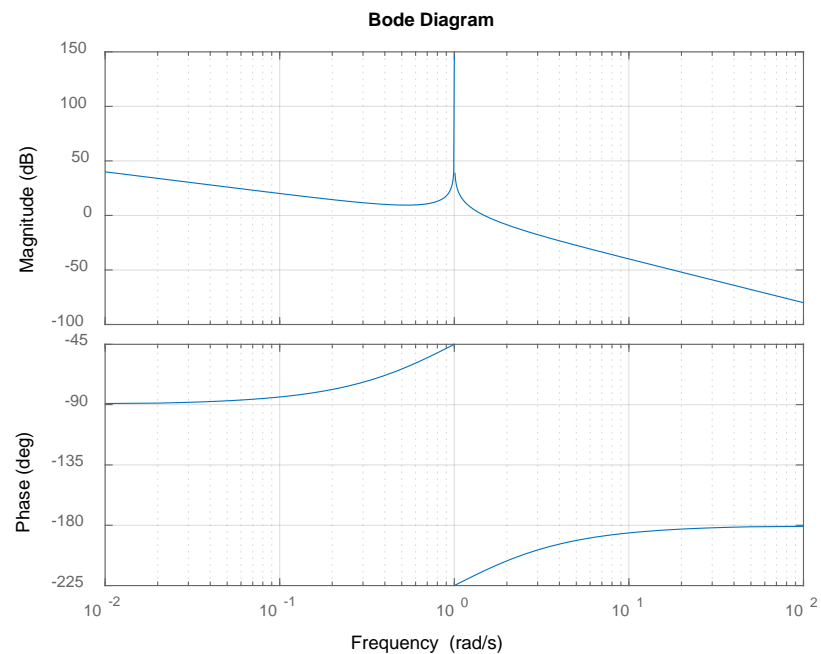
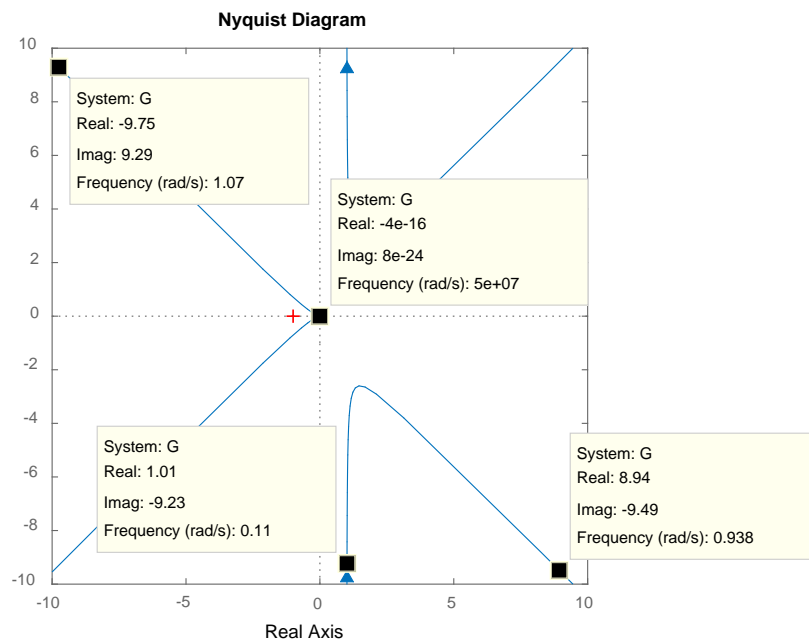
21.

$$\frac{(1+s)}{(1+s^2)}$$



22.

$$\frac{(1+s)}{s(1+s^2)}$$



Comandi per diagrammi di Nyquist e Bode con Matlab delle funzioni tracciate

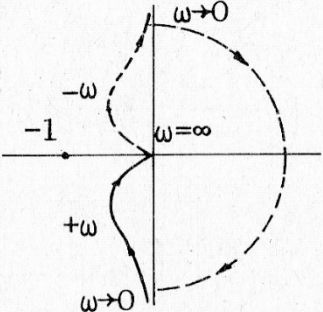
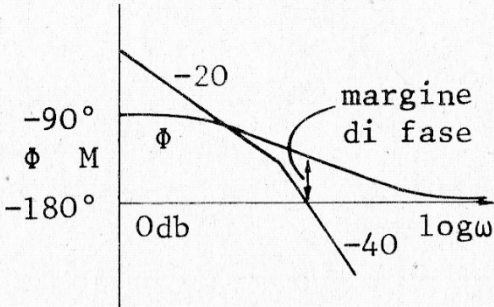
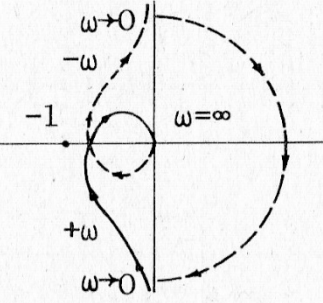
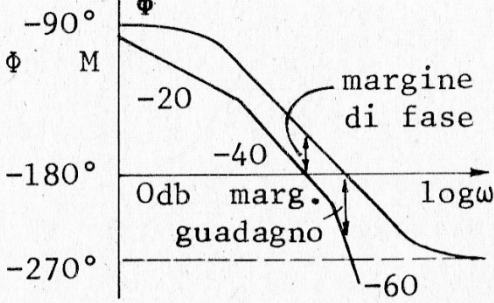
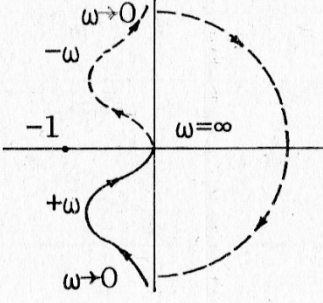
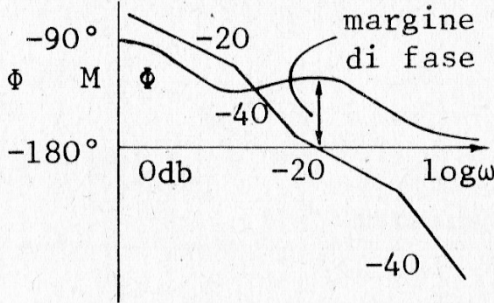
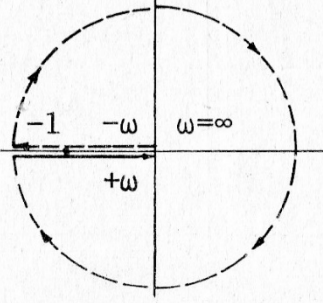
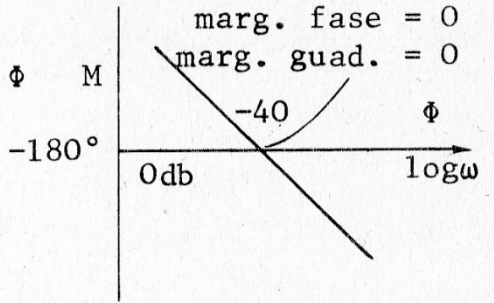
```
s=zpk('s');  
G=10/(1+s)  
[z,p,k] = zpkdata(G,'v')  
G=zpk(z,p,k,'d','f')  
nyquist(G)  
daspect([1 1 1])  
bode(G)  
grid
```

```
1. G=10/(1+s) % P  
2. G=10*s/(1+s) % /Z P  
3. G=10*(1+s/10)/(1+s) % P Z  
4. G=(1+s)/(1+s/10) % Z P  
5. G=10/(1+s)/(1+s/2) % P P  
6. G=10*s/(1+s)/(1+s/5) % /Z P P  
7. G=10*(1+s/2)/(1+s)/(1+s/5) % P Z P  
8. G=10*(1+s)/(1+s/2)/(1+s/5) % Z P P  
9. G=10*(1+s/5)/(1+s)/(1+s/2) % P P Z  
10. G=10*(1+s)/(1+s/10)/s % /P Z P  
11. G=10*(1+s/10)/(1+s)/s % /P P Z  
12. G=10/(1+s)/(1+s/2)/s % /P P P  
13. G=10*(1+s)/(1+s/2)/(1+s/5)/s % /P Z P P  
14. G=10*(1+s/2)/(1+s)/(1+s/5)/s % /P P Z P  
15. G=10*(1+s/5)/(1+s)/(1+s/2)/s % /P P P Z  
16. G=10*(1+s)/(1+s/10)/s/s % /P /P Z P  
17. G=10*(1+s/10)/(1+s)/s/s % /P /P P Z  
18. G=10/(1+s)/(1+s/2)/s/s % /P /P P Z  
19. G=10*(1+s/0.1)*(1+s)/(1+s/0.5)/(1+s/5)/s/s % /P /P Z P Z P  
20. G=10*(1+s/0.1)*(1+s/5)/(1+s/0.5)/(1+s)/s/s % /P /P Z P P Z  
21. G=(1+s)/(1+s^2)  
22. G=(1+s)/(1+s^2)/s
```

Le funzioni da 1 a 20 sono tracciate solo per frequenze positive (diagrammi polari)

Le ultime due funzioni sono rappresentate anche per frequenze negative (diagrammi di Nyquist)

$G(s) \cdot H$	NYQUIST	BODE	NOTE
<div>(1)</div> $\frac{K}{sT_1 + 1}$			<p>tipo 0 sempre stabile margine di guadagno = ∞</p>
<div>(2)</div> $\frac{K}{(sT_1 + 1)(sT_2 + 1)}$			<p>tipo 0 sempre stabile margine di guadagno = ∞</p>
<div>(3)</div> $\frac{K}{(sT_1 + 1)(sT_2 + 1)(sT_3 + 1)}$			<p>tipo 0 instabile può diventare stabile riducendo K</p>
<div>(4)</div> $\frac{K}{s}$			<p>tipo 1 stabile integratore ideale</p>

<p>(5)</p> $\frac{K}{s(sT_1 + 1)}$			<p>tipo 1 stabile margine di guadagno = ∞</p>
<p>(6)</p> $\frac{K}{s(sT_1 + 1)(sT_2 + 1)}$			<p>tipo 1 stabile può diventare instabile aumentando il guadagno</p>
<p>(7)</p> $\frac{K(sT_a + 1)}{s(sT_1 + 1)(sT_2 + 1)}$			<p>tipo 1 stabile</p>
<p>(8)</p> $\frac{K}{s^2}$			<p>tipo 2 instabile doppio integratore deve essere compensato</p>

$G(s) H$	NYQUIST	BODE	NOTE
<div>(9)</div> $\frac{K}{s^2 (sT_1 + 1)}$			tipo 2 instabile deve essere compensato
<div>(10)</div> $\frac{K (sT_a + 1)}{s^2 (sT_1 + 1)}$			tipo 2 stabile per qualsiasi guadagno
<div>(11)</div> $\frac{K(sT_a+1)(sT_b+1)}{s(sT_1+1)(sT_2+1)(sT_3+1)(sT_4+1)}$			tipo 1 stabile guadagno piccolo → stabile K aumenta → instab. aumenta ancora → stabile K molto elevato → instab.
<div>(12)</div> $\frac{K(sT_a + 1)}{s (sT_1 + 1)(sT_2 + 1)}$			tipo 2 stabile diventa instabile se aumenta il guadagno